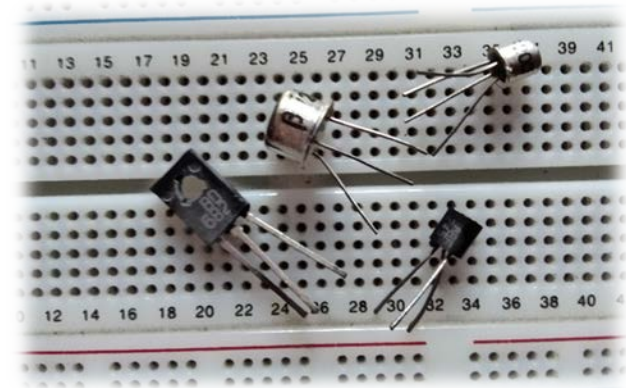




# ELECTRONIC DEVICES

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## C12 – BJT operation



# Contents

- Simplified structure of a BJT
- Input and transfer characteristics, npn BJT
- Operating regions
- Currents. Limiting the command current.
- BJT saturation
- Quiescent point of the BJT
- Examples

### Previously on ED (C11):

## Transistors

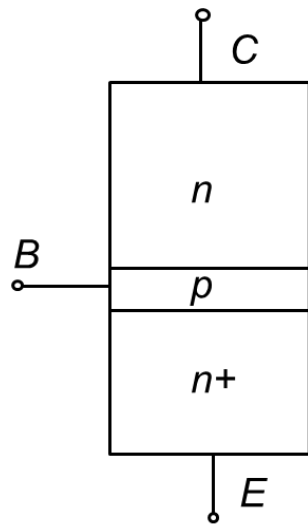
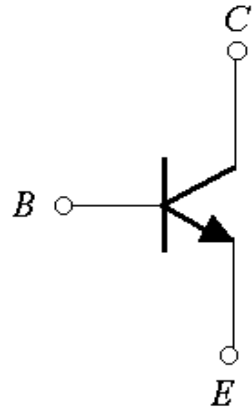
= **active** semiconductor devices, with three terminals

- used to amplify or switch signals
- essential components of electronic circuits
- discrete or integrated

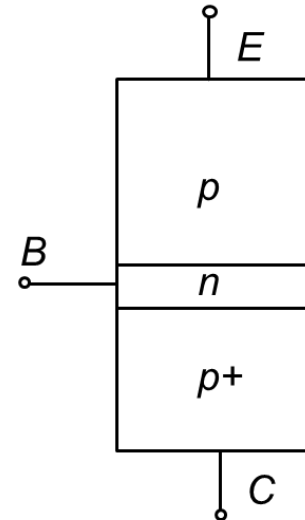
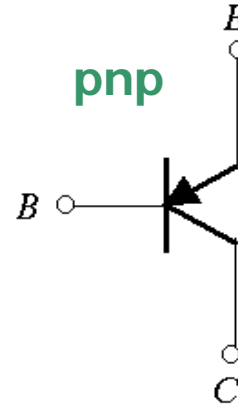
### Operating principle:

The **voltage** applied between two terminals (command) controls the **current** through the third terminal

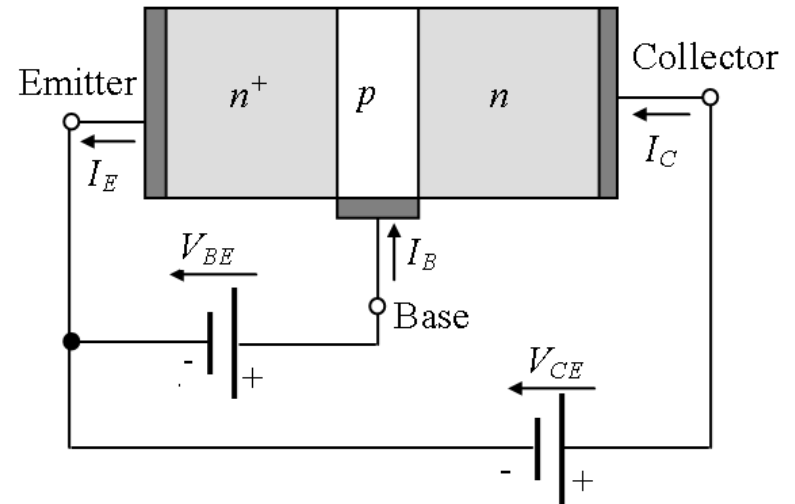
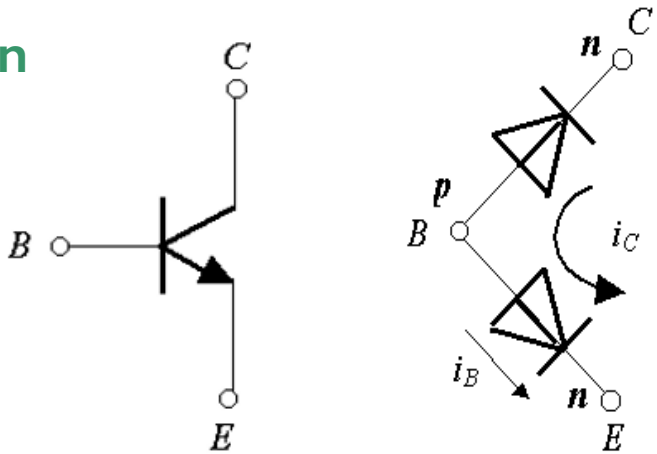
nnp



pnp



npn

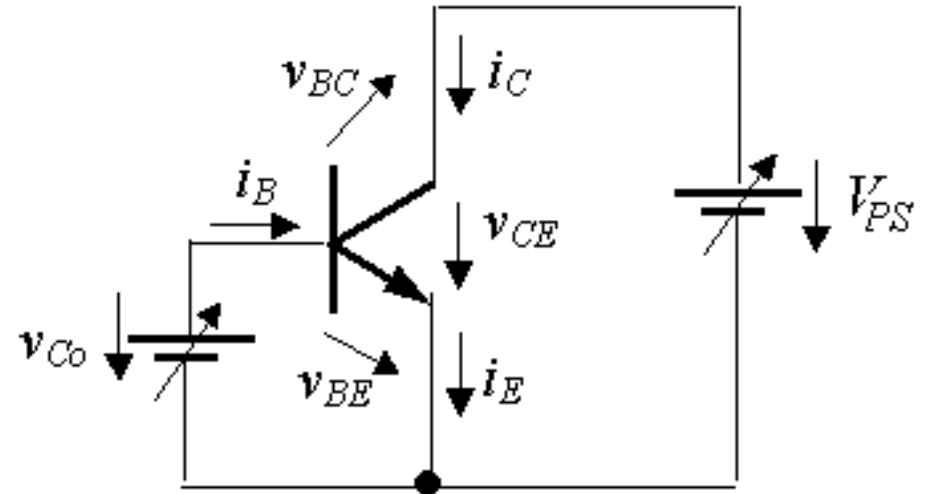
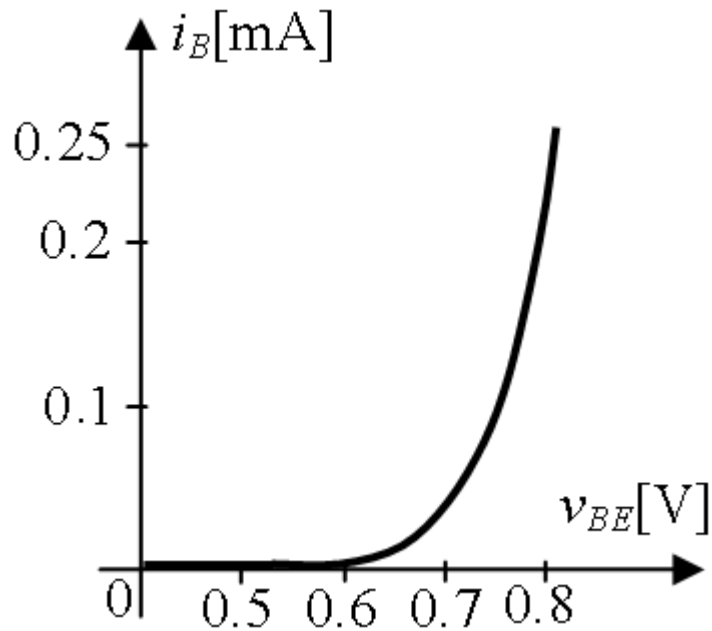


The **transistor effect** consists in a current flowing through a *reverse biased junction* (B-C) due to its interaction with a *forward biased junction* (B-E), placed in its very close vicinity.

For the transistor effect

- **base** region - very thin; considerably thinner than the diffusion length of the minority carriers in the base region;
- **emitter** region - more doped than the base region
- **emitter** and **collector** regions - wider than the diffusion length of the minority carriers in these regions.

➤ Input characteristic



$$i_B = \frac{I_S}{\beta} e^{\frac{v_{BE}}{V_T}}$$

$I_S$  - saturation current (~ nA - pA)

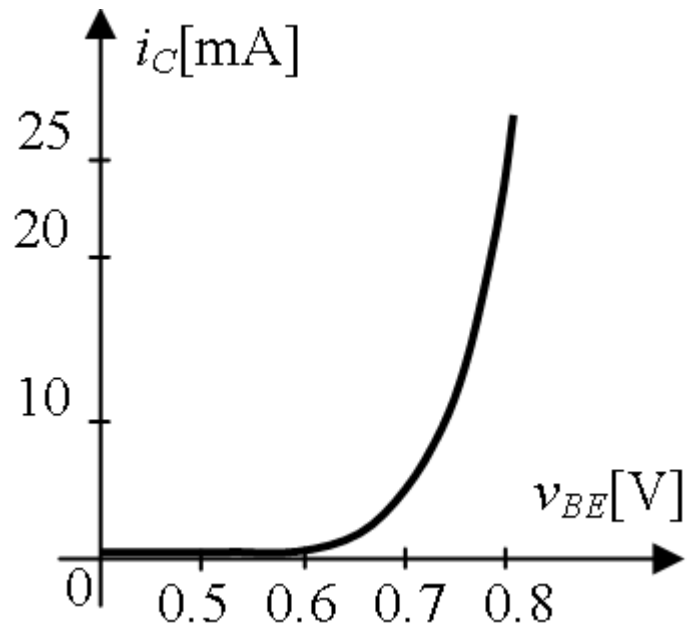
$$V_T = \frac{KT}{q}$$

thermal voltage

$$V_T = 25\text{mV @ } 20^\circ\text{C}$$

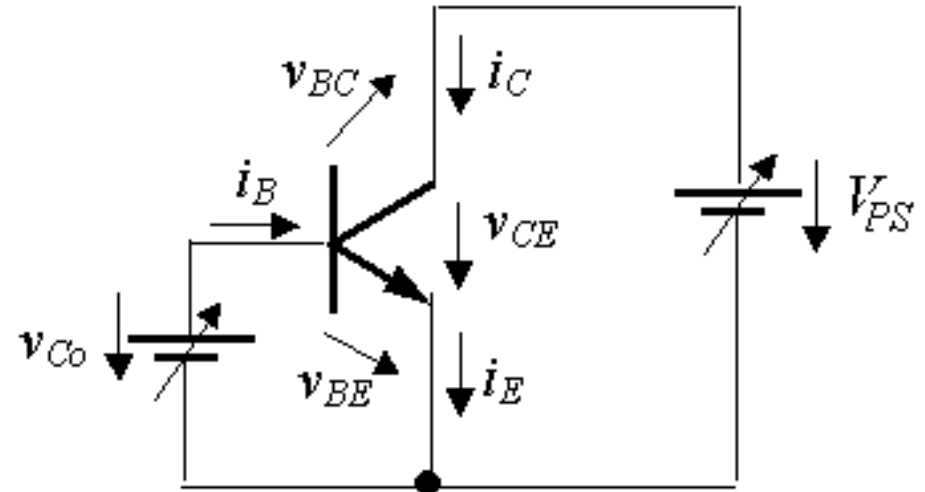
$\beta$  current gain (~ tens, hundreds, dimensionless)

➤ Transfer characteristic



$$i_C = \beta i_B$$

$$i_C = I_S e^{\frac{v_{BE}}{V_T}}$$

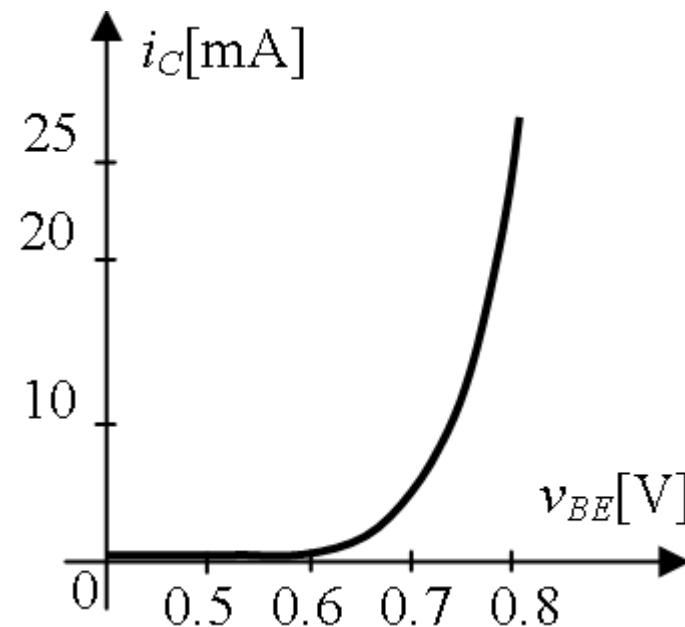
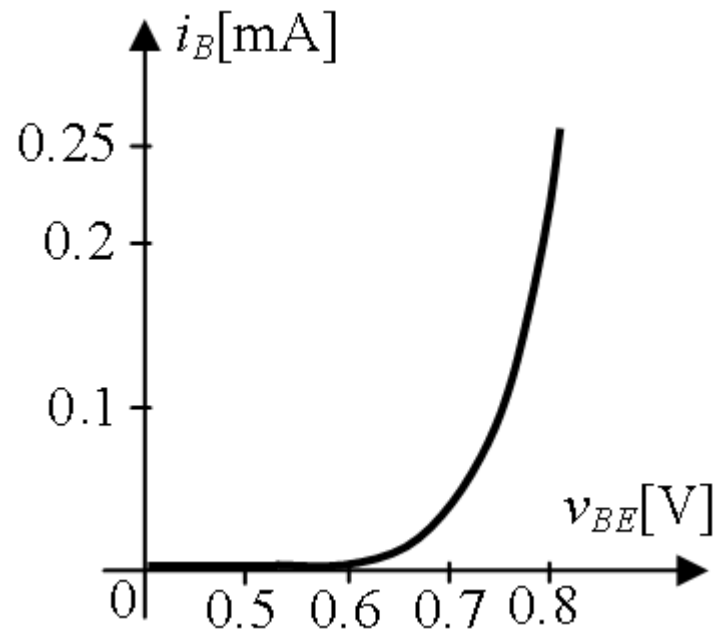


➤ Input and transfer characteristics

$$i_B = \frac{I_S}{\beta} e^{\frac{v_{BE}}{V_T}}$$

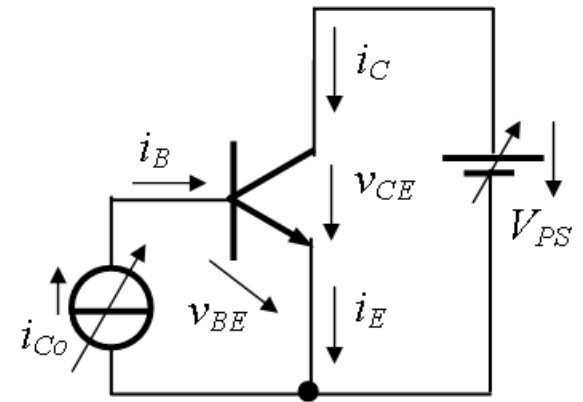
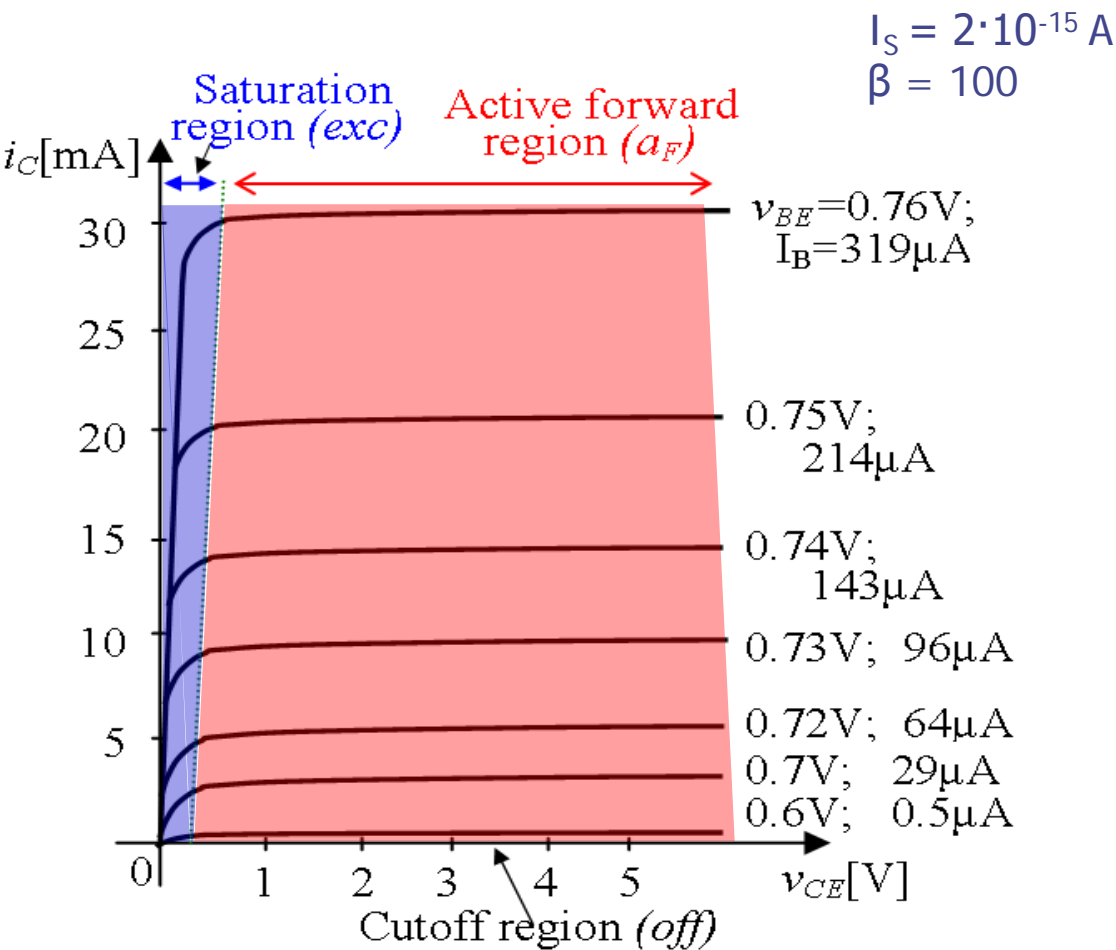
$$i_C = I_S e^{\frac{v_{BE}}{V_T}}$$

$$i_C = \beta i_B$$





➤ Family of output characteristics



Active region (a<sub>F</sub>)

$$i_C = \beta \cdot i_B \quad i_C = I_S e^{\frac{v_{BE}}{V_T}}$$

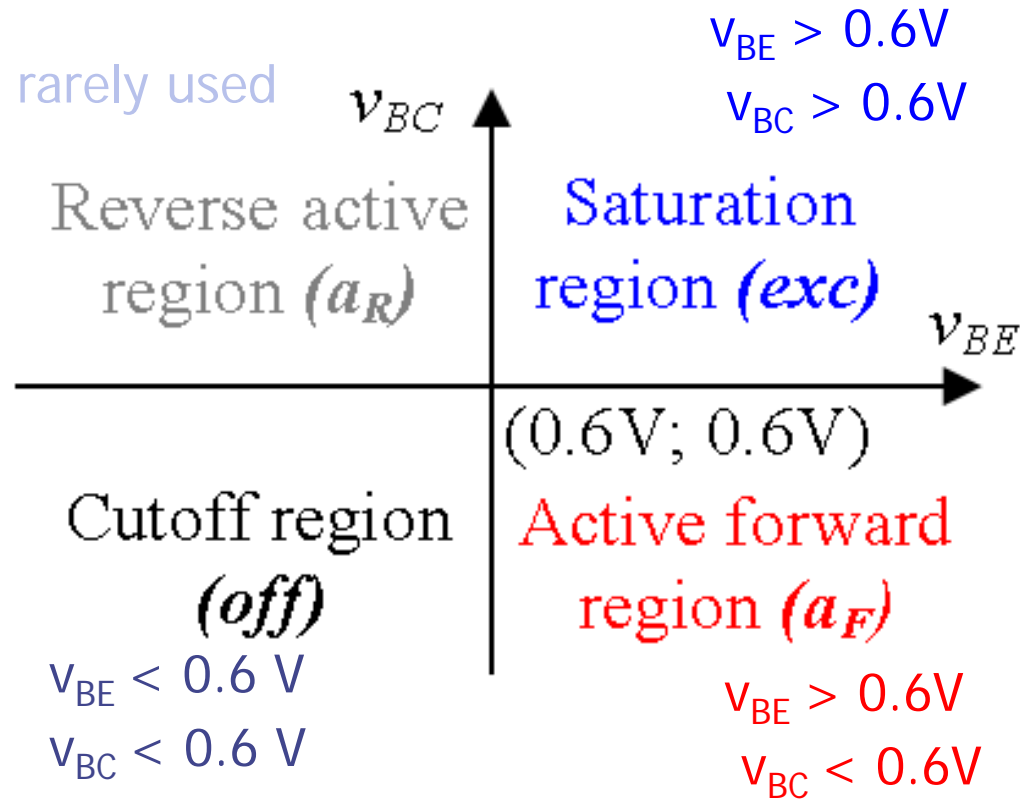
Saturation region (exc)

$$i_C < \beta \cdot i_B$$

$$V_{CEsat} \approx 0.2V$$

Cutoff region (off):

$$i_C = i_B = 0$$



Note: the transistor shouldn't be biased very close to the origin of the axes or to one of the axis

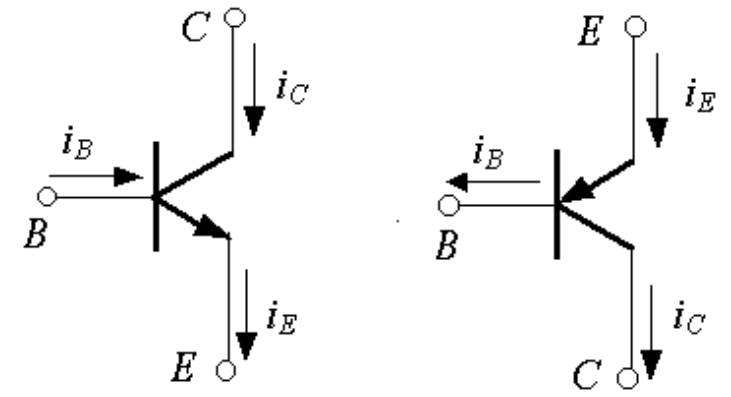
Modes of use

- switching mode: (off) / (exc)
- as an amplifier: ( $a_F$ ), possibly ( $a_R$ )

➤ Currents

$$i_E = i_C + i_B$$

!Always valid, regardless of operating region!



In the active region ( $a_F$ ):

$$i_C = \beta i_B$$

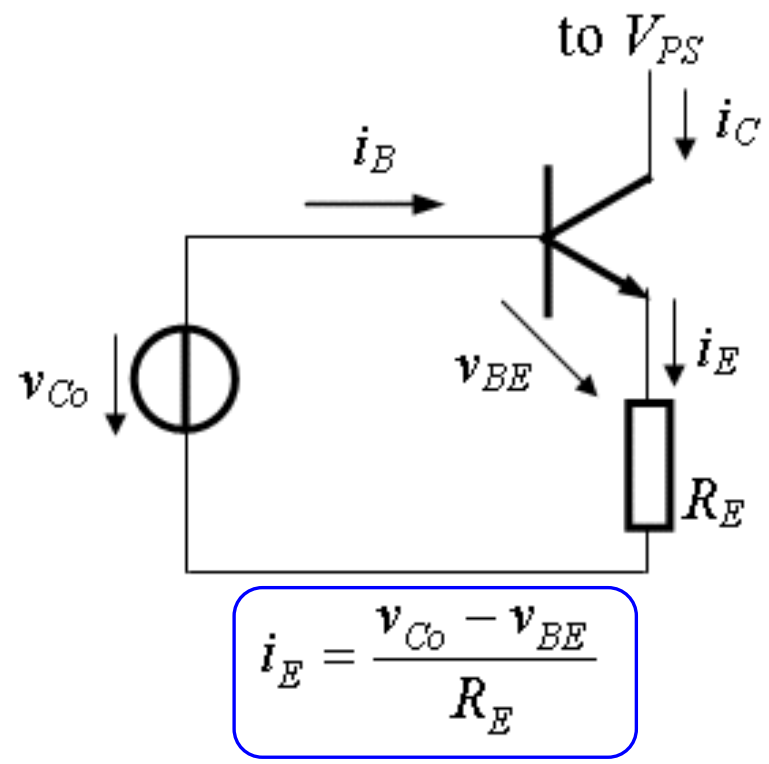
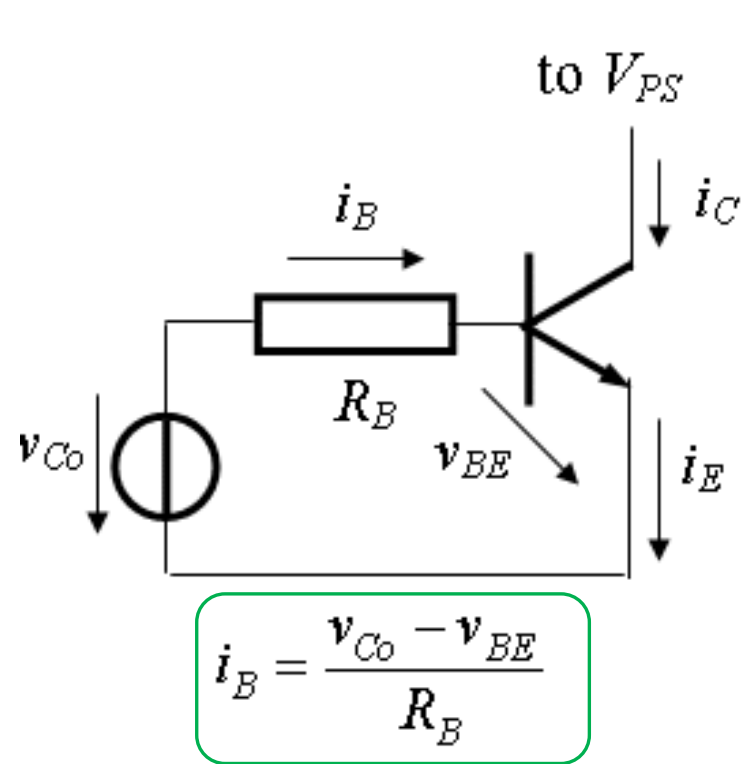
$$i_E = i_C + \frac{1}{\beta} i_C = i_C \left(1 + \frac{1}{\beta}\right)$$

$$i_E = (\beta + 1) i_B \approx \beta i_B \quad i_E \approx i_C$$

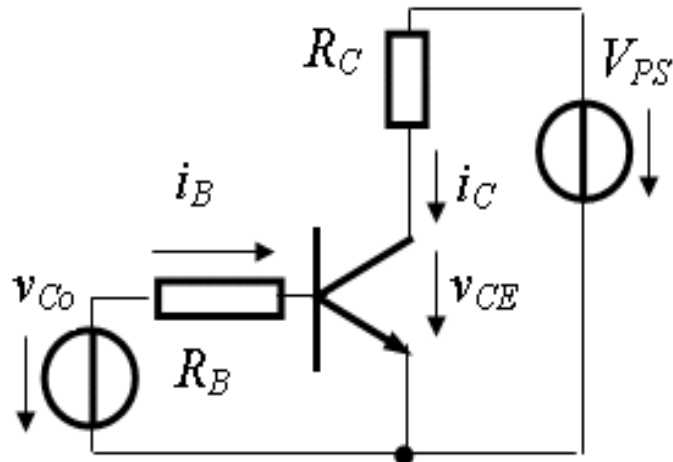
In the saturation region (exc):  $i_C < \beta i_B$

➤ Limiting the command current

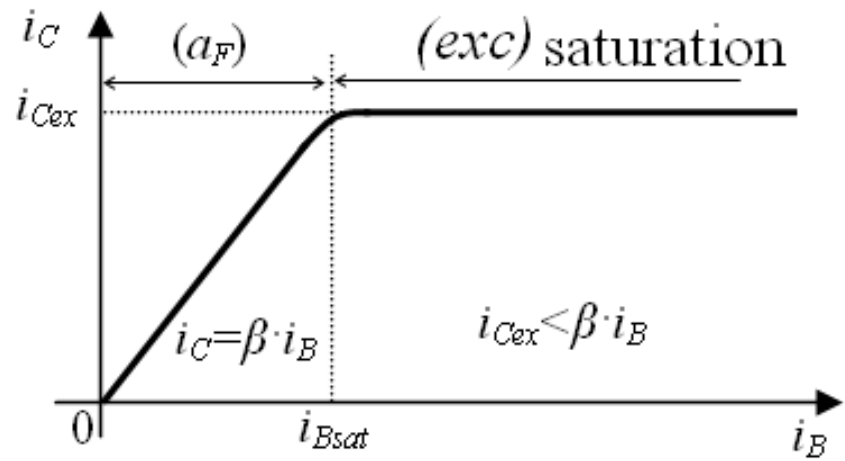
Command voltage is applied between B and E, so command current is  $I_B$ .  
 Limit  $I_B$  by using a **series resistance** in B or E.



$v_{BE} \approx 0.7V$



$$i_{Cex} = \frac{V_{PS} - v_{CEsat}}{R_C} \approx \frac{V_{PS}}{R_C}$$



Boundary  
(a<sub>F</sub>) - (exc)

$$i_{Bsat} = \frac{i_{Cex}}{\beta}$$

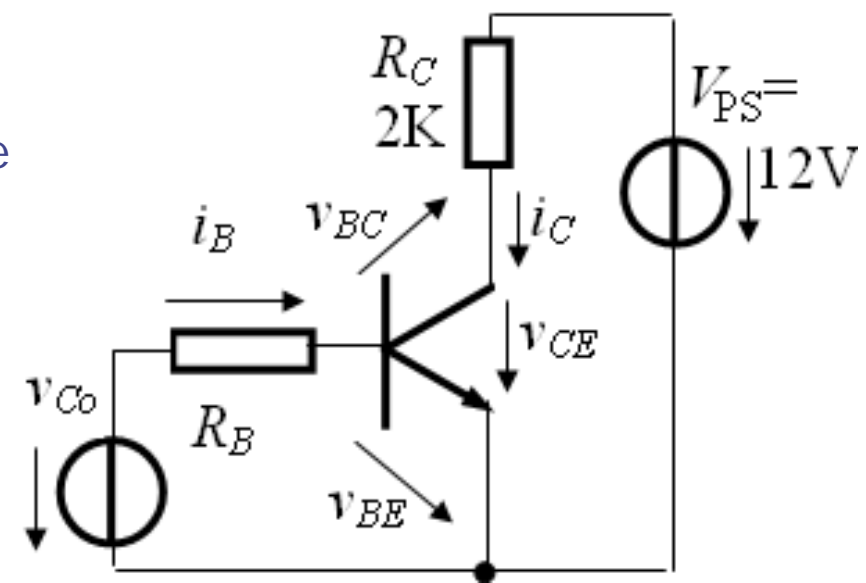
- resistors and applied voltages are chosen based on the desired region (off, a<sub>F</sub> or exc) of the BJT
- BJT can also be seen as a **current-controlled current source** ( $i_C = \beta i_B$ ), when operating in the active region (a<sub>F</sub>)

Quiescent point  $Q$  = a point on the output characteristic  $i_C(v_{CE})$  of the BJT

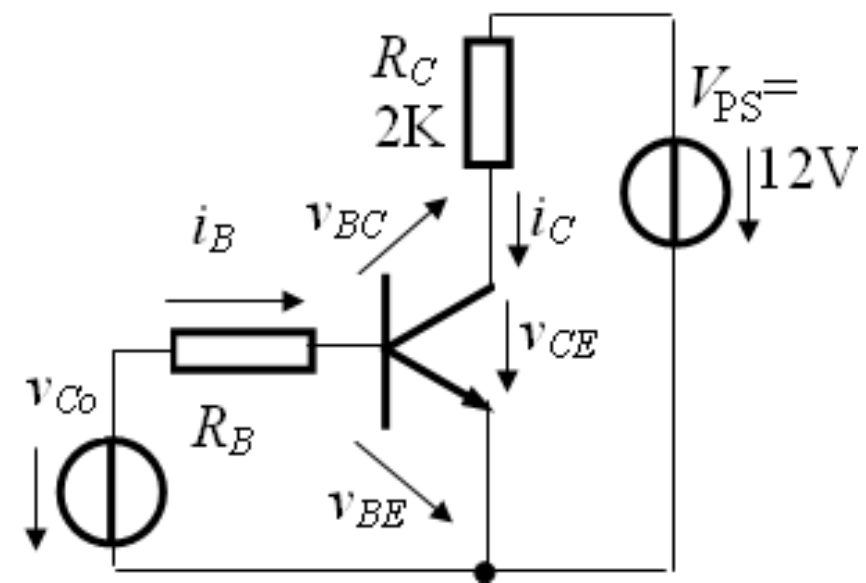
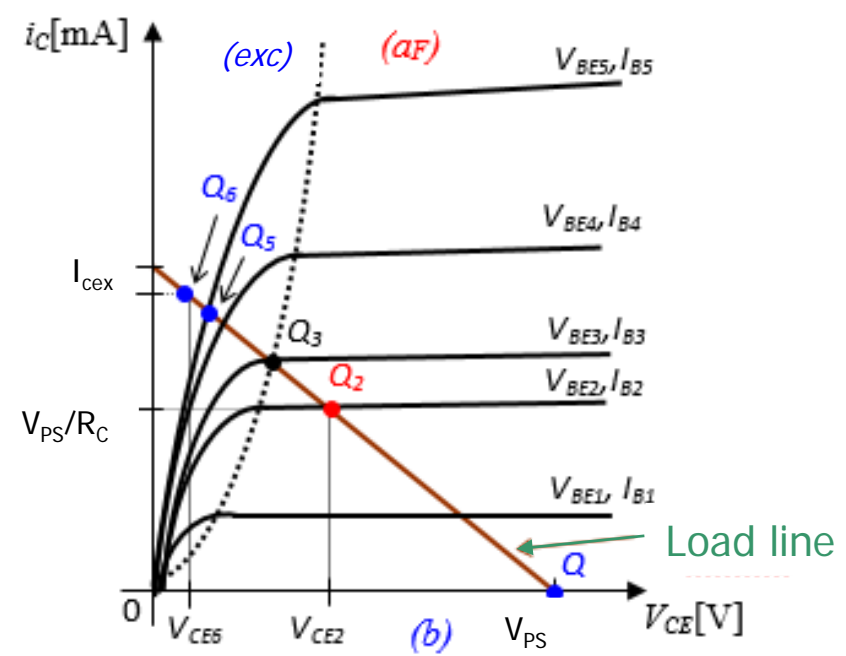
- $Q$  is defined by  $V_{CE}$  and  $I_C$
- $Q(V_{CE}, I_C)$  is at the intersection between the load line and the output characteristic corresponding to  $v_{BE}$

Load line:

$$V_{CE} = V_{PS} - R_C i_C$$



Quiescent point  $Q$  = a point on the output characteristic  $i_C(v_{CE})$  of the BJT



$Q_2(V_{CE2}, I_{C2})$

$$i_B = \frac{V_{C0} - v_{BE}}{R_B}$$

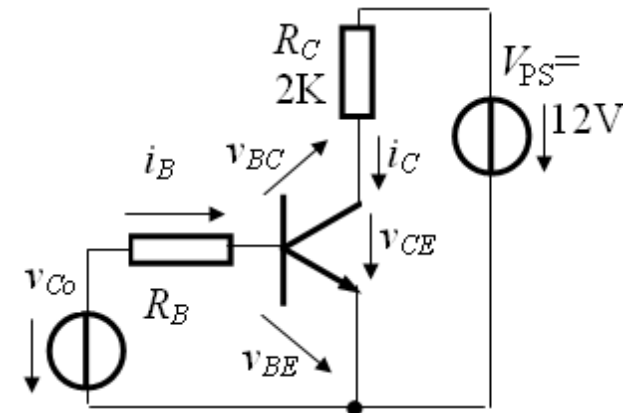
$$i_C = \beta i_B$$

$$V_{CE} = V_{PS} - R_C \cdot i_C$$

## ➤ Example - 1

Find the operating region and compute  $Q(V_{CE}, I_C)$  for  $R_B = 50 \text{ k}\Omega$  and

- i)  $v_{C0} = 0.4 \text{ V}$ ;
- ii)  $v_{C0} = 1.7 \text{ V}$ ;
- iii)  $v_{C0} = 5 \text{ V}$





### ➤ Example - 1

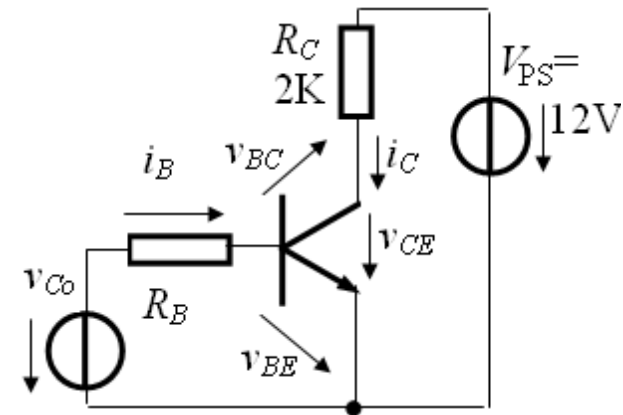
#### Solution:

i) because  $v_{C0} = 0.4 \text{ V} < V_{Th,n} = 0.6 \text{ V}$  T - (off)

$$Q(V_{CE}, I_C) = Q(12 \text{ V}, 0 \text{ mA})$$

ii)  $v_{C0} > V_{Th} \Rightarrow$  T is on, in (a<sub>F</sub>) or in (exc).

- Assume  $v_{BE} = 0.7 \text{ V}$  for conduction and  $\beta = 100$
- Assume T in (a<sub>F</sub>), so that  $i_C = \beta \cdot i_B$
- Compare  $i_B$  with  $i_{Cex} / \beta$ :
  - If  $i_B > i_{Cex} / \beta$ , the assumption was **false**, and T is in (exc)
  - If  $i_B < i_{Cex} / \beta$ , the assumption was **true**, and T is in (a<sub>F</sub>)



### ➤ Example - 1

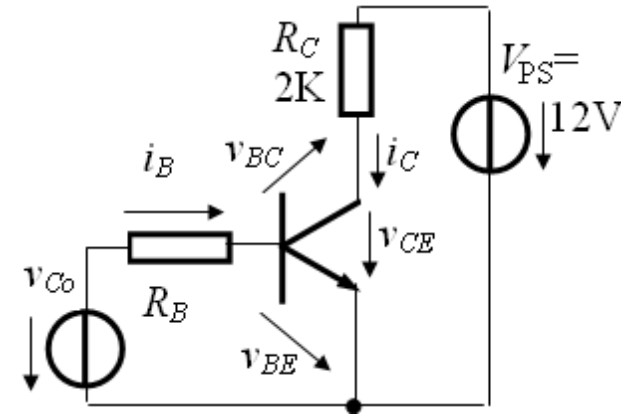
#### Solution:

$$i_{Cex} = \frac{V_{PS} - v_{CEsat}}{R_C} = \frac{12 - 0.2}{2} = 5.9 \text{ mA}$$

$$i_B = \frac{v_{Co} - v_{BE}}{R_B} = \frac{1.7 - 0.7}{50} = 0.02 \text{ mA}$$

$$\frac{i_{Cex}}{\beta} = \frac{5.9}{100} = 0.059 \text{ mA}$$

Because  $i_B = 20 \mu\text{A} < i_{Cex} / \beta = 59 \mu\text{A} \Rightarrow T$  is in ( $a_F$ )



$$i_C = \beta i_B = 100 \cdot 0.02 = 2 \text{ mA}$$

$$v_{CE} = V_{Al} - R_C i_C = 12 - 2 \cdot 2 = 8 \text{ V}$$

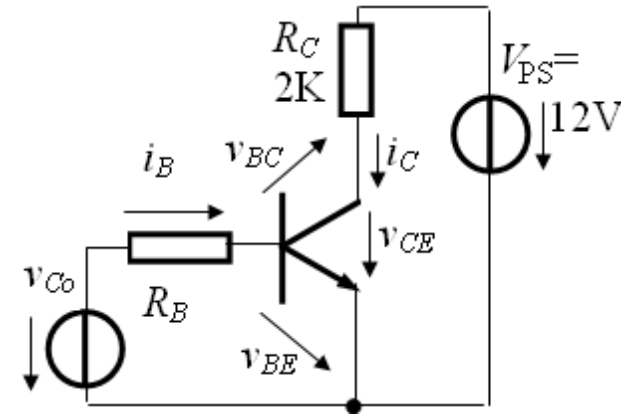
**Q(8V; 2mA)**

$$v_{BC} = v_{BE} - v_{CE} = 0.7 - 8 = -7.3 \text{ V} < 0.6 \text{ V}$$

### ➤ Example - 1

#### Solution:

$$\text{iii) } i_B = \frac{v_{C0} - v_{BE}}{R_B} = \frac{5 - 0.7}{50} = 0.086 \text{ mA}$$



Because  $i_B = 86 \mu\text{A} > i_{Cex} / \beta = 59 \mu\text{A} \Rightarrow \text{T is in (exc)}$

$$V_{BEsat} \approx 0.8\text{V}; \quad V_{BC} = V_{BEsat} - V_{CEsat} \approx 0.8\text{V} - 0.2\text{V} = 0.6\text{V} = V_{Thn}$$

Alternative method: assume T in ( $a_F$ )  $\Rightarrow i_C = \beta \cdot i_B = 8.6 \text{ mA}$

$$V_{CE} = V_{PS} - R_C \cdot i_C = 12 - 2 \cdot 8.6 = -5.2\text{V}$$

But  $v_{CE}$  can only be positive, so the assumption is false  $\Rightarrow \text{T is in (exc)}$

$$V_{CE} = v_{CEsat} = 0.2\text{V}$$

$$I_C = i_{Cex} = 5.9\text{mA}$$

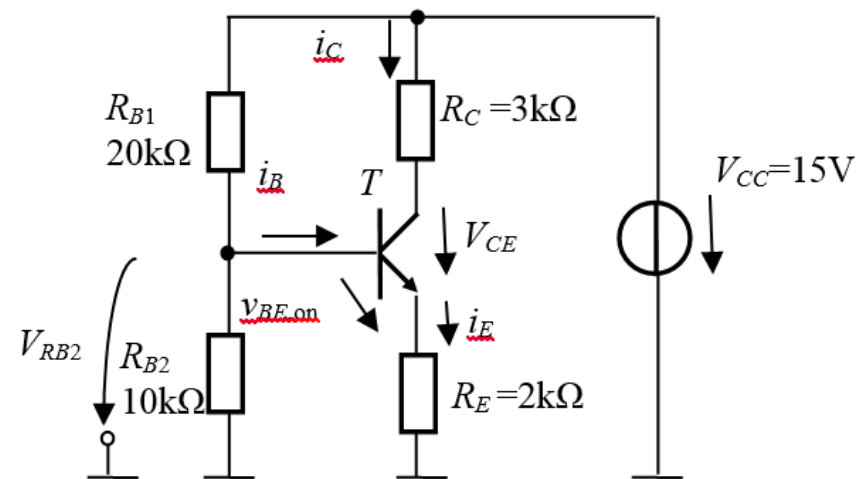
Q(0.2 V; 5.9 mA)

➤ Example - 2

$$\beta = 100, V_{BE,on} = 0.7 \text{ V}$$

a) Find  $Q(V_{CE}, I_C)$ .

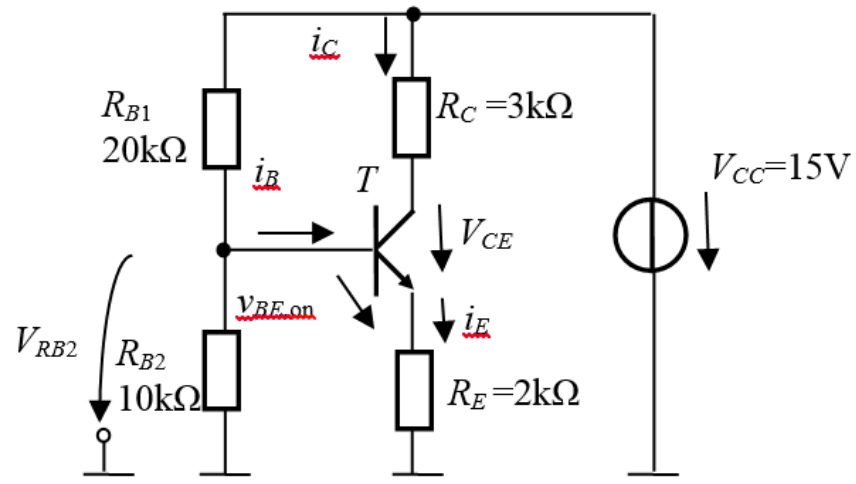
b) What is the operating region of T ?



➤ Example - 2

Solution:

- a) Since  $I_B \ll I_C$  and  $I_E = I_C + I_B$ :  
 $I_C = I_E$



$V_{RB2}$  – obtained from the voltage divider between  $R_{B1}$  and  $R_{B2}$ , out of  $V_{CC}$

$$V_{RB2} = \frac{R_{B2}}{R_{B1} + R_{B2}} \cdot V_{CC}$$

$$V_{RB2} = \frac{10k}{30k} \cdot 15V = 5V$$

$$-V_{RB2} + v_{BE, on} + V_{RE} = 0$$

$$V_{RE} = V_{RB2} - v_{BE, on}$$

$$V_{RE} = 5 - 0.7 = 4.3V$$

$$V_{RE} = I_E \cdot R_E$$

$$I_C = \frac{V_{RE}}{R_E}$$

$$I_C = \frac{4.3V}{2k\Omega} = 2.15mA$$

## ➤ Example - 2

Solution:

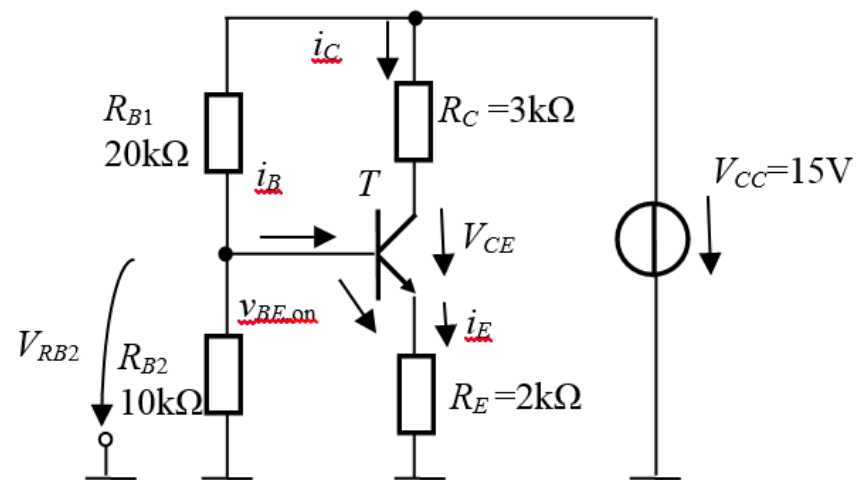
$$a) \quad -V_{CC} + I_C \cdot R_C + V_{CE} + I_C \cdot R_E = 0$$

$$V_{CE} = V_{CC} - I_C \cdot (R_C + R_E)$$

$$V_{CE} = 15 - 2.15 \cdot 10^{-3} \cdot 5 \cdot 10^3$$

$$V_{CE} = 4.25V$$

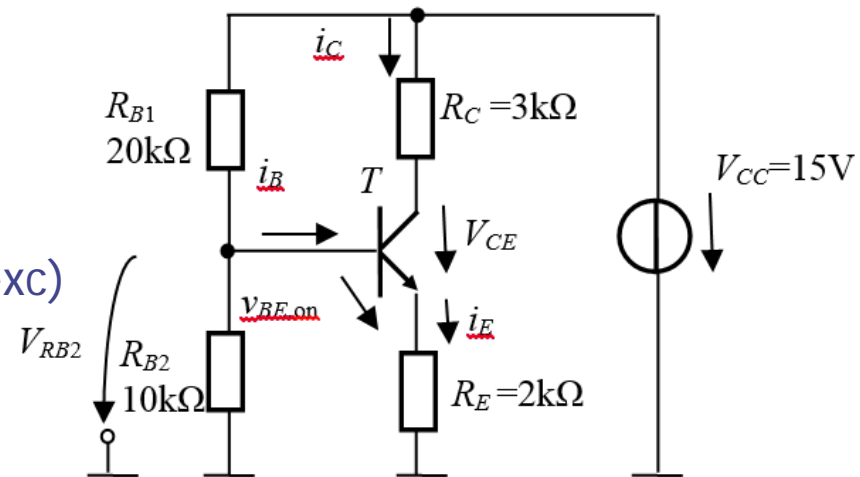
Q(4.25 V; 2.15 mA)



➤ Example - 2

Solution:

b)  $V_{C0} = V_{RB2} > V_{BE,on} \Rightarrow T$  is on, in (a<sub>F</sub>) or in (exc)



Assume T in (a<sub>F</sub>).

Compare  $i_C$  with  $i_{Cex}$  :

If  $i_C > i_{Cex}$ , the assumption was false, and T is in (exc)

If  $i_C < i_{Cex}$ , the assumption was true, and T is in (a<sub>F</sub>)

$$I_{Cex} = \frac{V_{CC} - V_{CEsat}}{R_C + R_E}$$

$$2.15 \text{ mA} < 2.96 \text{ mA}$$

$\Rightarrow$  T is in (a<sub>F</sub>)

$$I_{Cex} = \frac{15 - 0.2}{3k + 2k} = \frac{14.8}{5 \cdot 10^3} = 2.96 \text{ mA}$$

# Summary

The BJT (almost) holds no secrets from us, after investigating:

- Simplified structure of a BJT
- Input and transfer characteristics, npn BJT
- Operating regions
- Currents. Limiting the command current.
- BJT saturation
- Quiescent point of the BJT
- Examples

Next week: MOSFET operation

To do: Homework 9